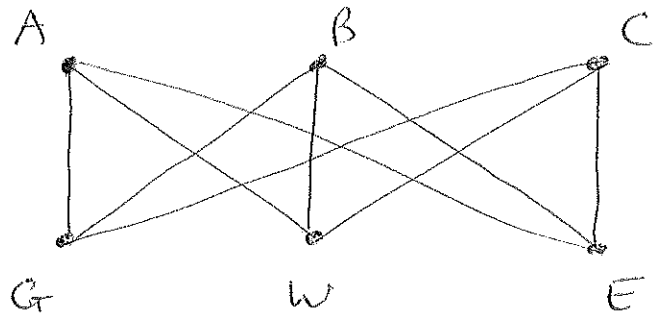
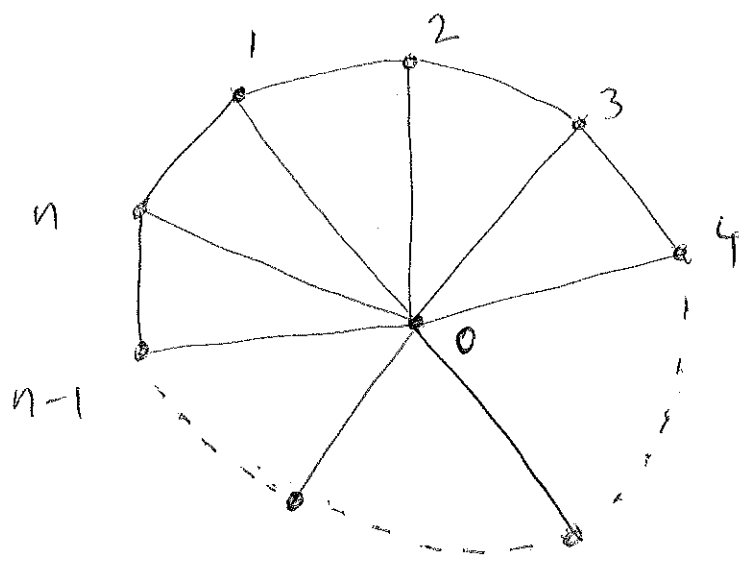


15.1.1

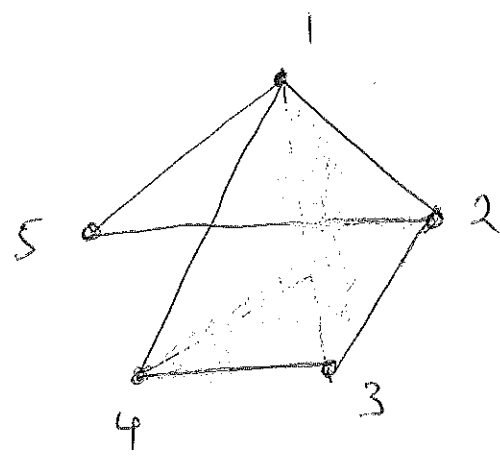


15.1.2

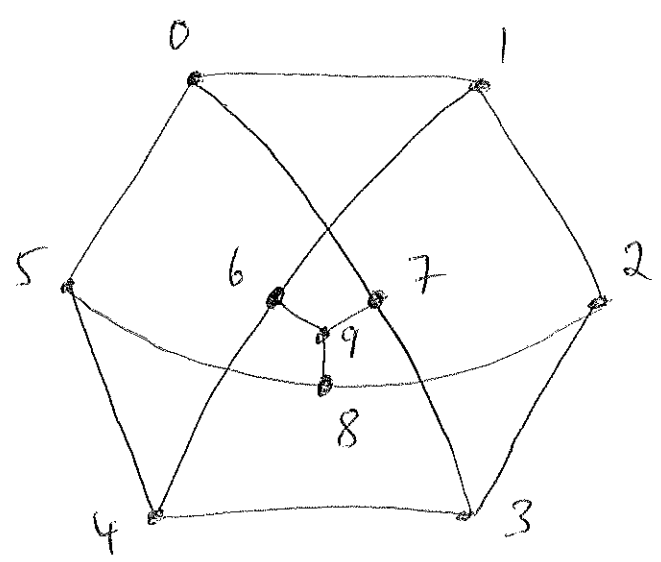
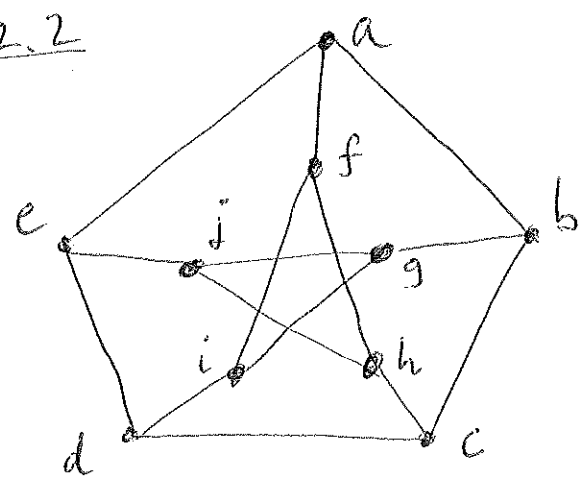


indicates
a succession
of edges
along the
cycle.

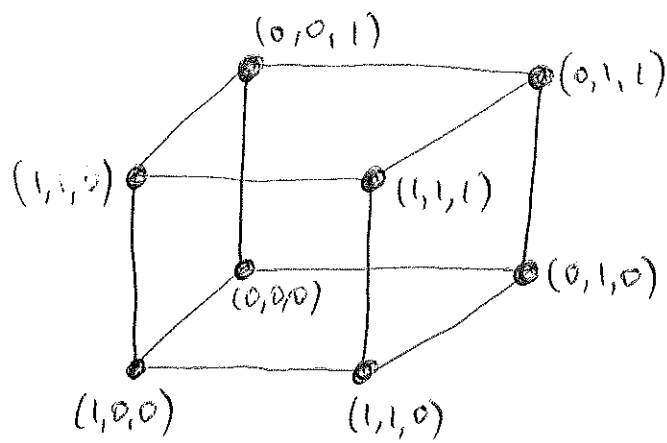
15.1.4



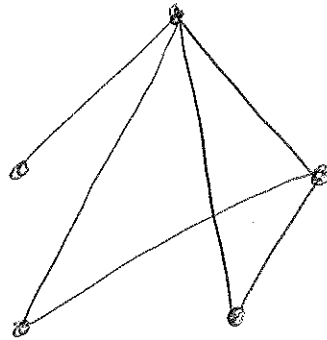
15.2.2



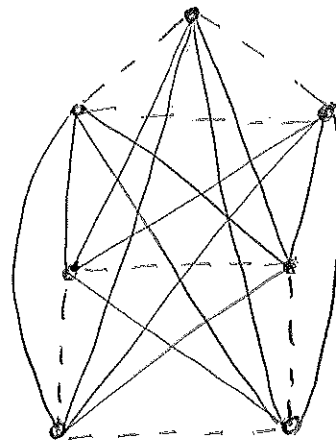
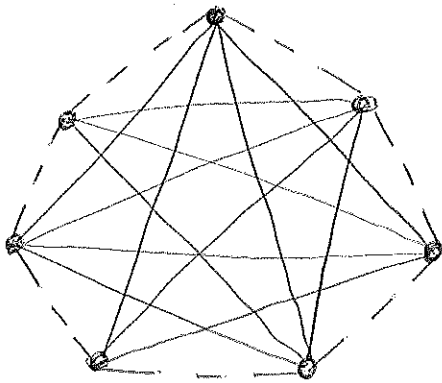
15.2.3



15.3.1 (ii)

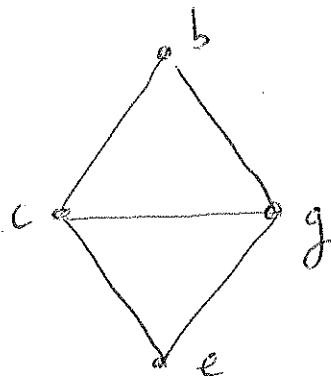
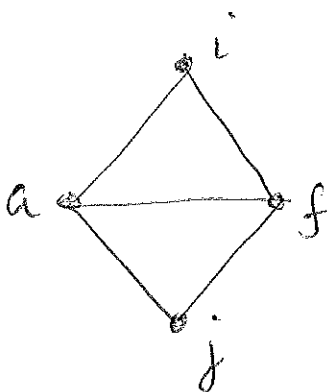


15.3.3

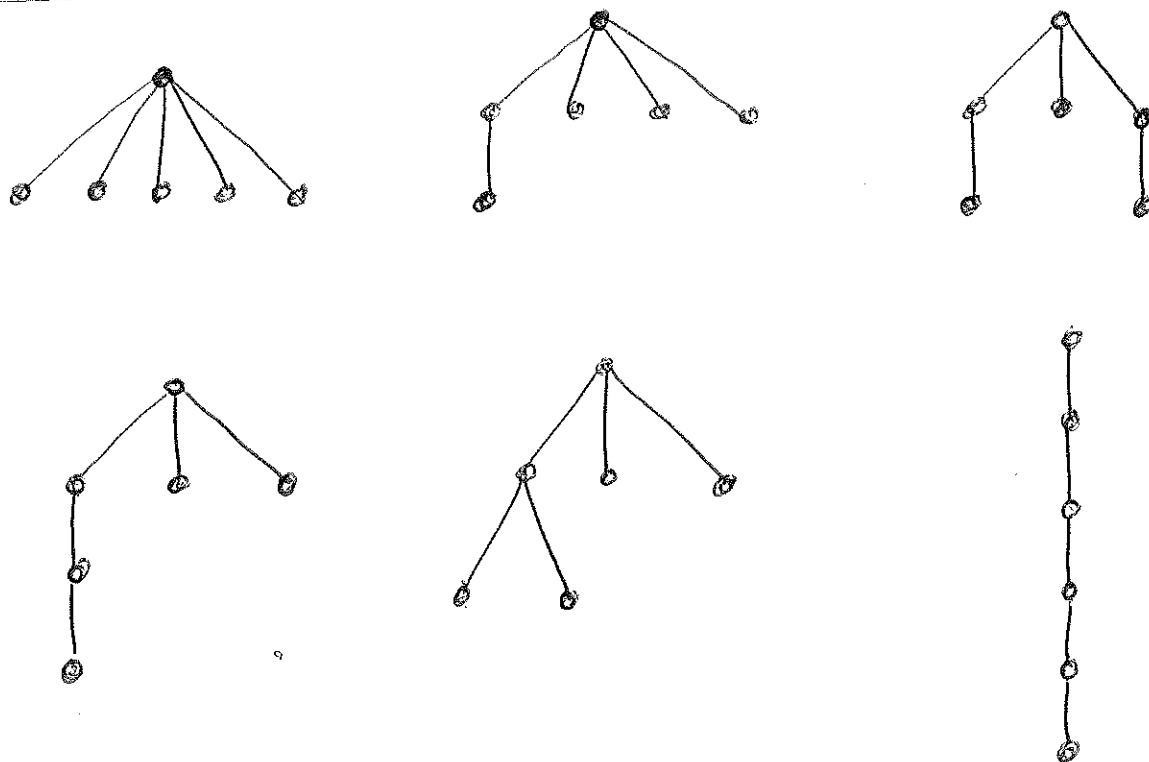


The dashed lines represent $\overline{G}$

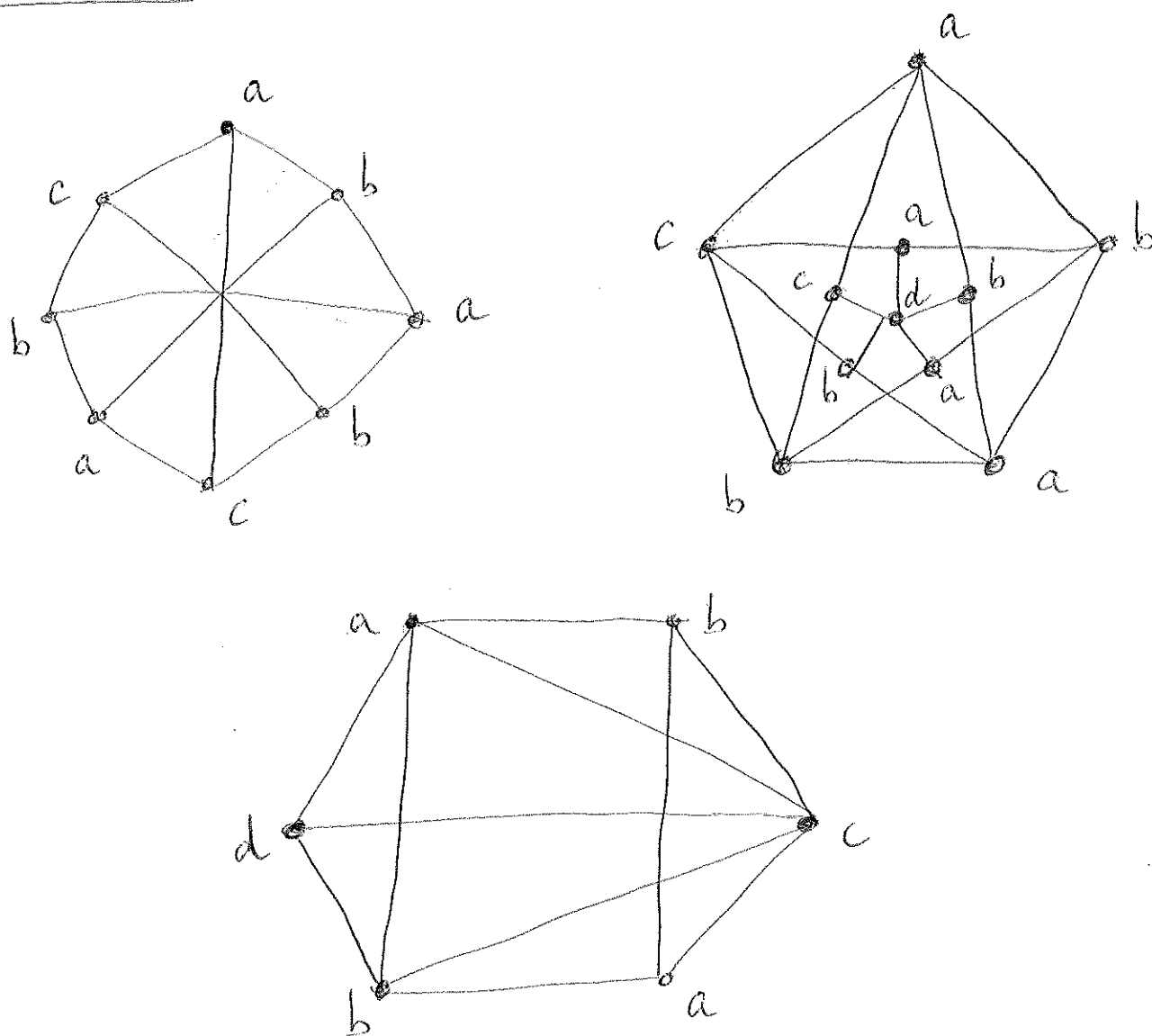
15.4.1



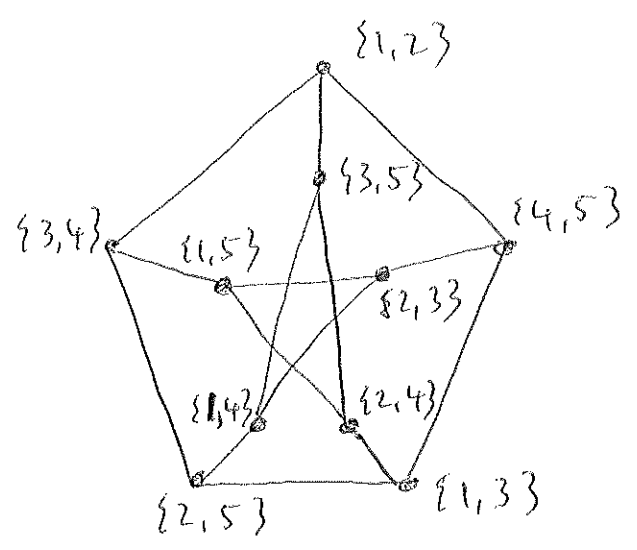
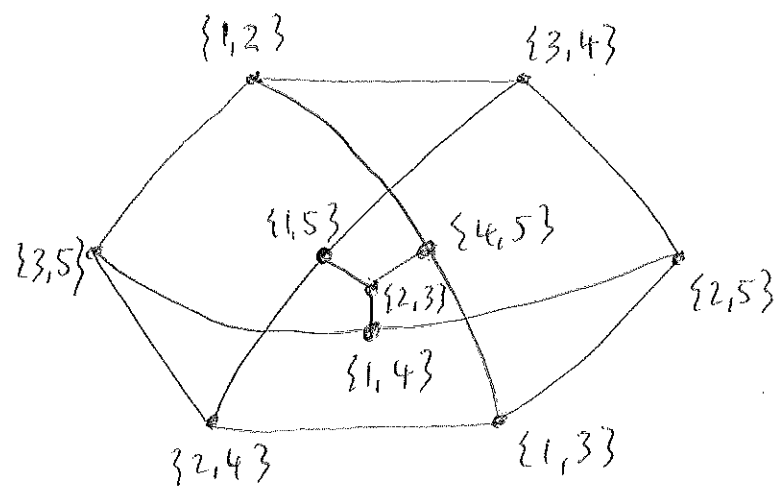
15.5.1



15.6.2

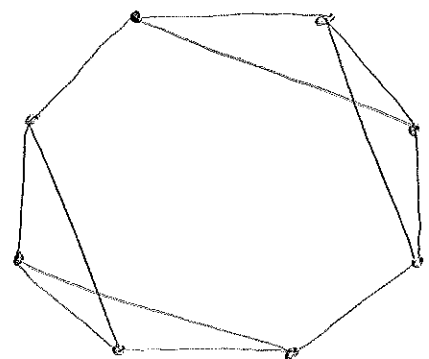
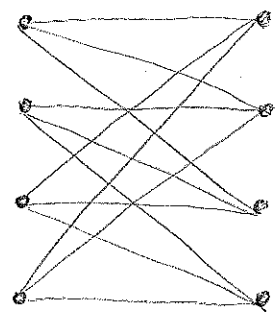


15.8.3



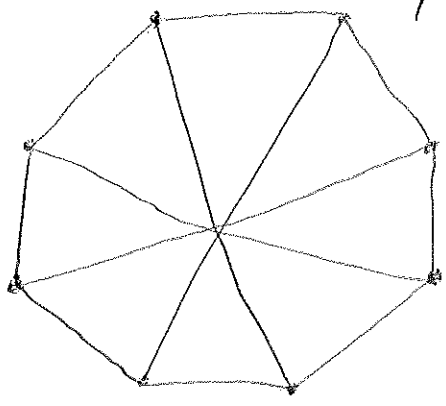
15.8.12

G_1 is bipartite

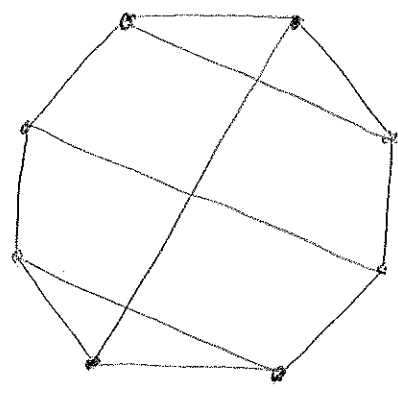


G_2 has 3-cycles, but no 5-cycles and no 4-cycles

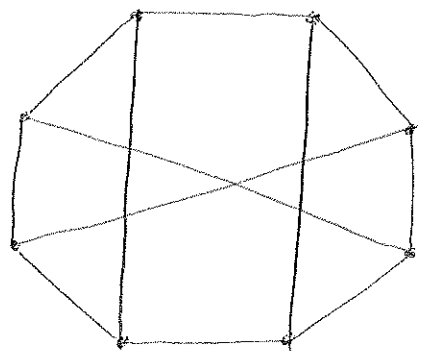
G_3 has 5-cycles, but no 3-cycles



G_4 has 3-cycles, 4-cycles and 5-cycles

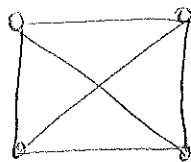


G_5 has 4-cycles and 5-cycles, but no 3-cycles

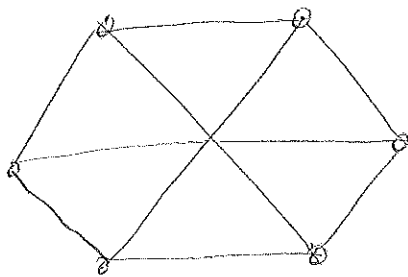


15.8.19

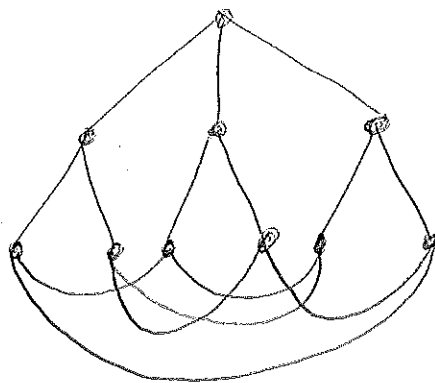
$$g = 3$$



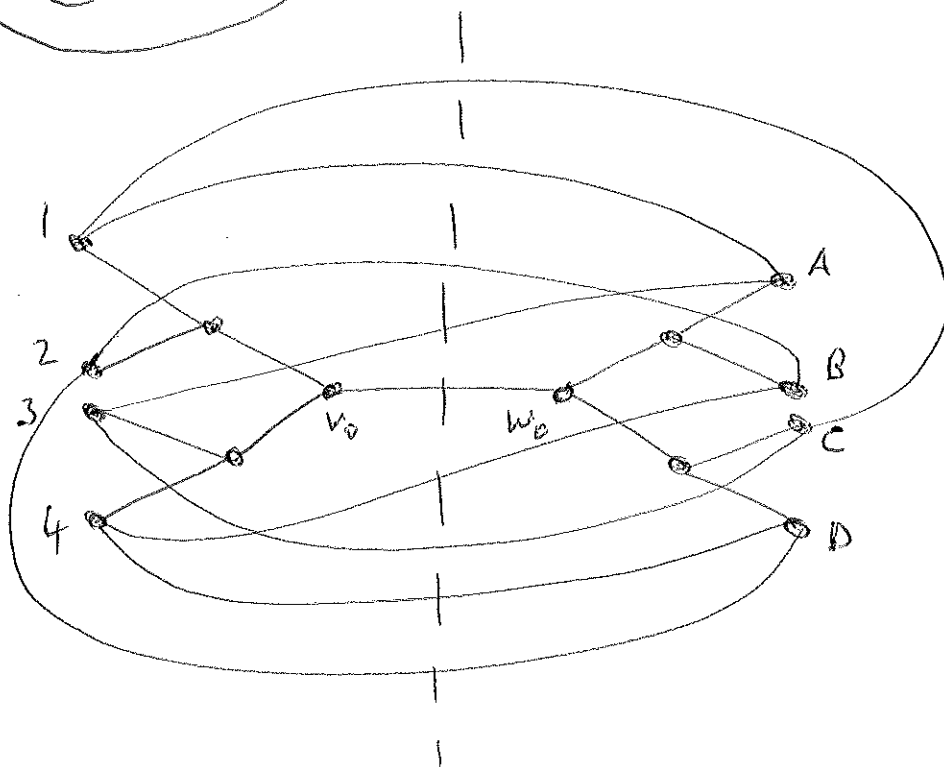
$$g = 4$$



$$g = 5$$



$$g = 6$$



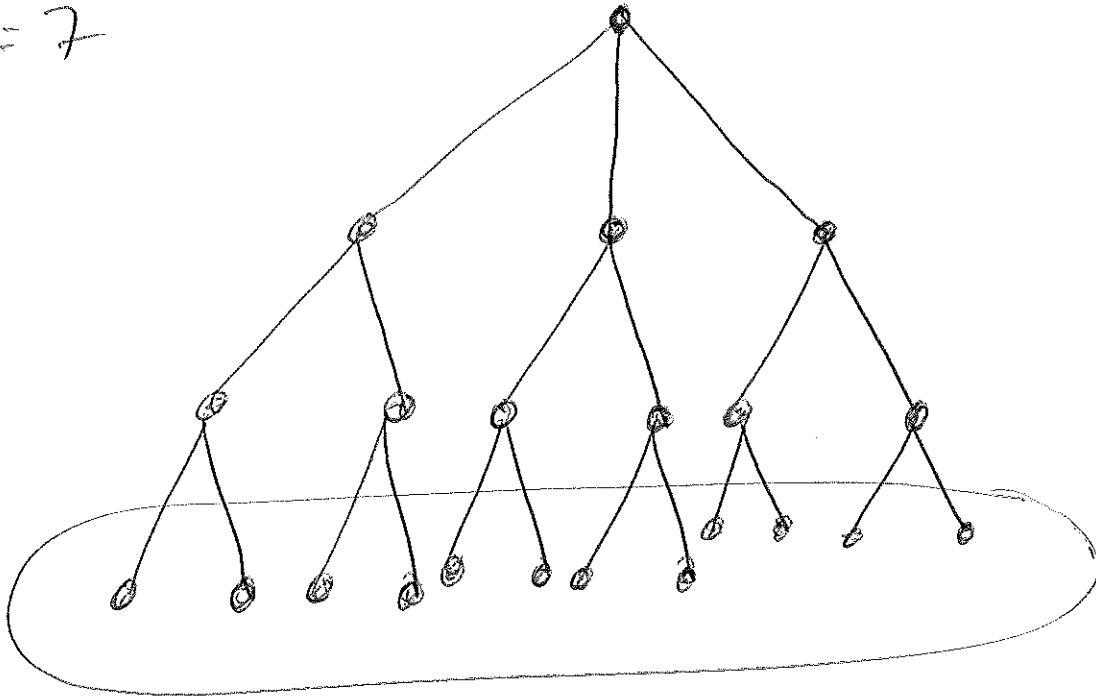
Edges across

the dotted line are :

$\{1, A\}, \{1, C\}, \{2, B\}, \{2, D\}$
 $\{3, A\}, \{3, C\}, \{4, B\}, \{4, D\}$

15.8.19 (ctd.)

$$g = 7$$



Not possible to find a subgraph on these 12 vertices which is regular of degree 2 (ie: a disjoint union of cycles), without creating a cycle of length 6 or less in the graph as a whole.