

Am. J. Hum. Genet. 69:904, 2001

Patterns of Y-Chromosome Variation in South Amerindians

To the Editor:

Tarazona-Santos et al. (2001) compute estimates of within- and among-group genetic variability for South Amerindian Y-chromosome samples that are thought to represent tribal populations living in various major geoeological regions of South America: the Andean highlands, the Brazilian plateau, the Chaco region, the Argentinian pampa, and the Chilean rain forest.

The samples are agglomerated into two groups, one representing populations from the Andean highlands and the other representing populations from Amazonia, the Brazilian plateau, and the Chaco. Variability estimates are computed for both subdivisions and are consequently compared, with the Andean group exhibiting higher values. For apparently unjustified reasons, a sample from the tropical forest of Ecuador that has an Amazonian origin and exhibits the highest within-group variability is excluded from the analysis, unfortunately casting doubt on the reliability of the results.

Various among-group variability estimates and their association with distances among map locations of places where samples were presumably collected are computed next. We are aware of the difficulties in obtaining Amerindian samples, but the extremely small size of some samples used in this study (the central Brazilian plateau is represented by five individuals) precludes the possibility that among-group variability statistics are unbiased estimators of *population* relationships. The lack of association between genetic and geographic distances may be a reflection of this shortcoming.

On the basis of their results, Tarazona-Santos et al. (2001) conclude that two Y-chromosome microevolutionary models that involve differential patterns of genetic drift and gene flow characterize South Amerindians. Andean populations exhibit low rates of genetic drift and high rates of gene flow, whereas populations from Amazonia, the Brazilian plateau, and the Chaco exhibit high rates of drift and low rates of gene flow. It seems to us that this is a rash generalization, if it is based on the variability estimates presented in this study. Furthermore, it presupposes that non-Andean South Am-

erindian tribes living far apart, in markedly different geoeological areas, can be agglomerated and treated as one homogeneous group sharing the same population structure. We are not convinced that this is a realistic assumption.

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Reference

Tarazona-Santos E, Carvalho-Silva DR, Pettener D, Luiselli D, De Stefano GF, Martinez Labarga C, Richards O, Tyler-Smith C, Pena SDJ, Santos F (2001) Genetic differentiation in South Amerindians is related to environmental and cultural diversity: evidence from the Y chromosome. *Am J Hum Genet* 68:1485–1496

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Reply to Rothhammer and Moraga

To the Editor:

Rothhammer and Moraga raise objections to the conclusions in our article describing global patterns of Y-chromosome diversity among South Amerindian populations (Tarazona-Santos et al. 2001). We do not think that their criticisms are valid, for the following reasons.

First, Rothhammer and Moraga argue that our conclusions are not well grounded, since they were only based on the Y-chromosome data presented in our article. This is not correct. In the article, we present and discuss the good concordance between our Y-chromosome data and the analyses of classical marker variability

previously performed by our group (Luiselli et al. 2000; Simoni et al. 2000*b* and references therein).

Second, they criticize the size of our samples. We certainly agree that large samples are better than small ones. For small samples, large standard errors are expected, and such errors can conceal geographical patterns where they exist but cannot generate statistically significant patterns where none exist. That we observed significant differences in within-population variability means that our sample sizes were not too small—or, at least, were large enough to support our conclusions. This is further confirmed by the fact that a significant correlogram was identified using the Spatial Autocorrelation Analysis (AIDA), which means that association between genetic and geographic distances exists. Rothhammer and Moraga apparently have missed this subtle point.

Third, they criticize the aggregation of the differentiated Eastern populations to compare within-population variability among eastern and Andean populations. This, of course, has to be done carefully and, indeed, we mention in our paper (the last 23 lines of p. 1488) that this agglomeration might produce an artificial Whalund effect (i.e., it might inflate the gene diversity). However, this would create a bias acting against our conclusions and therefore has the effect of rendering our results more robust. Again, Rothhammer and Moraga have missed the point.

Furthermore, we have now made the following calculations from our published data. (1) The 95% confidence interval (CI) of average gene diversity in the eastern populations, when the Cayapa sample is included, is 0.398–0.459, which does not overlap with the 95% CI of average gene diversity in Andean populations (0.463–0.524). (2) When *Rst* values for the eastern part of the continent are recalculated excluding one small sample each time ($n < 9$), they are always $>23\%$ ($P < .01$). Therefore, (1) our conclusions are still valid when the Cayapa sample, from Ecuadorian Amazonia, is considered an eastern population, and (2) the higher level of between-population differentiation is not an artifact of some small sample. We still think the Cayapa should be analyzed separately, and our reason for including them in the article was to illustrate that, in the future, our model can incorporate new elements, allowing for the inclusion of tribes with peculiar population histories, such as the amalgamation of Amazonian and Andean tribes.

By definition, models are working simplifications of reality. They should be continuously tested for goodness-of-fit as new data arise and, as a consequence of this, may be reinforced, modified, or rejected. Anyhow, model building is essential in science. The model proposed by us is very simple. South American genetic-variability data are scanty when compared, for instance, with data about Europe. For this reason, our model did not in-

corporate detailed migratory routes or estimates of the times when these migrations occurred. Future data may allow such refinements to be built in. Nevertheless, we think even a simple model should be based on accurate comparisons, the statistical significance of which must be assessed—which means that, one way or another, “probabilities or likelihoods should be estimated” (Simoni et al. 2000*a*).

Rothhammer and Moraga consider our results insufficient for any conclusions. However, Rothhammer and Silva (1989, 1992) proposed a much more complicated model, claiming genetic evidence of demic expansion accompanying the diffusion of manioc cultivations from central Amazonia to the Andean area, on even scantier data. Although we recognize that Rothhammer and Silva’s proposal may be more appealing than our simple model, their fascinating tale about the migration of manioc farmers is not supported by any statistical test but, rather, is based on a cline inferred from synthetic genetic maps in an area where data are scanty or absent altogether (see figs. 1 and 2 of Rothhammer and Silva [1992]). Sokal et al. (1999) showed that, when samples are few and distant in space, synthetic maps obtained by interpolation often suggest a geographic trend, even when the data are spatially random.

We suspect that, in the case of our model, a simple unconvincing statement, even if authoritative, is not sufficient to discredit it. We are ready to accept that further data, or even an accurate reanalysis of our data, could challenge our model, but this seems not to be the case with Rothhammer and Moraga’s criticisms. We think that, at the moment, the data about genetic variability of South Amerindians (at least for classical markers and molecular Y-chromosome variability) support our model rather than any of its alternatives.

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Comparisons of Two Methods for Haplotype Reconstruction and Haplotype Frequency Estimation from Population Data

To the Editor:

Haplotype reconstruction is an important issue, both in population genetics and in the identification of complex disease genes. Stephens et al. (2001) proposed a new statistical method (called the “PHASE method” in the following discussion, after the name of their computer program) for haplotype reconstruction based on phase-unknown marker genotype data from unrelated individuals in a population. On the basis of their simulations

using coalescent models, they found that the PHASE method can reduce the error rate by >50% relative to the maximum-likelihood method, implemented via the expectation-maximization (EM) algorithm (Xie and Ott 1993; Excoffier and Slatkin 1995; Hawley and Kidd 1995; Long et al. 1995). One limitation of their study is the fact that their simulations are based on coalescent models, which may not be good approximations of human population evolutionary histories. In fact, the authors acknowledge that “there simply do not exist enough real data sets, with known haplotypes for sequence or closely linked markers, to allow sensible statistical comparisons of different methods” (Stephens et al. 2001; p. 982). In this letter, we report a comparison of the two methods; our comparisons involve phase-known genotype data sets, as well as simulations using empirical population haplotype frequency data. Our results show that, in general, for most of the populations studied, there is no significant difference between the PHASE method and the EM method, both in the average error rate for haplotype reconstruction and in the discrepancy (see the report by Stephens et al. [2001] for definitions of these measures) between the estimated and true sample haplotype frequencies.

For our simulations based on empirical population haplotype frequency data, we used population haplotype frequencies for four loci (RET, COMT, HOXB and D4S10, with 3, 4, 5, and 6 polymorphisms, respectively) found in samples of four populations: European Americans, San Francisco Chinese, Biaka, and Maya. We use these four populations to represent the populations from four different continents. Descriptions of the populations and of the samples of those populations, as well as the haplotype definitions, can be found in ALFRED (Osier et al. 2001; ALFRED Web site). For each locus and each population, we randomly chose $2n$ haplotypes according to the haplotype frequencies and then randomly paired the haplotypes to form a population of n individuals with phase-known genotypes. The abilities of the two methods to reconstruct these haplotypes from the resulting data, ignoring phase information, were then evaluated. Twenty independent replicates for each population-locus combination were generated to compare the two haplotype reconstruction methods.

To estimate the haplotype frequencies, we implemented the EM algorithm in a computer program that analyzes the simulated data sets with the starting point of equal frequencies for every possible haplotype. We expect that any of the programs implementing the EM algorithm should yield similar results. Following Stephens et al. (2001), we specify the haplotype pair for an individual by choosing the most probable haplotype pair consistent with the individual’s multisite genotype. The program developed by Stephens et al. (2001) was used to evaluate the performance of the PHASE method with

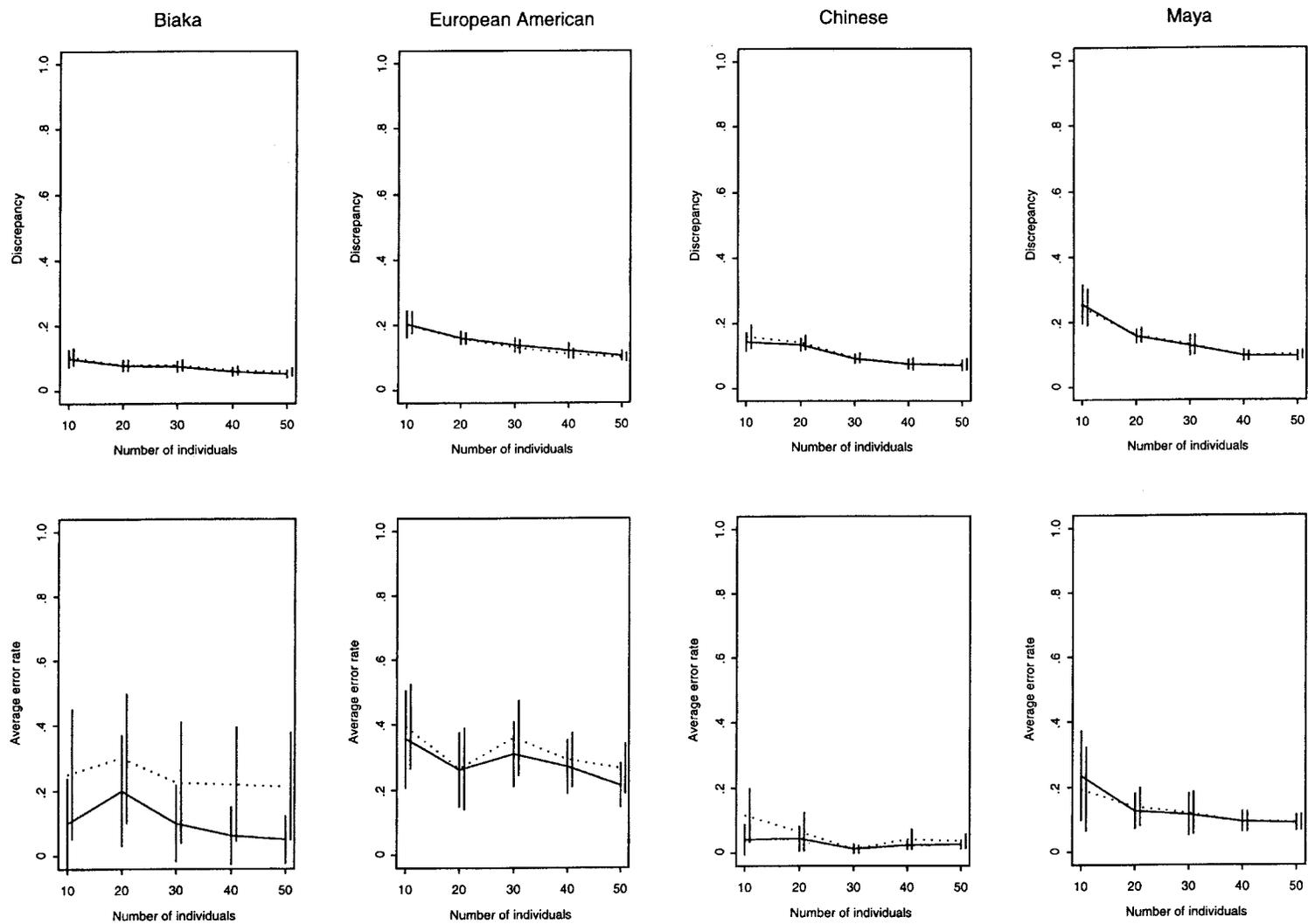


Figure 1 Comparisons between the EM method (*dotted lines*) and the PHASE method (*solid line*) for genotype data at the RET site, with three single-nucleotide polymorphisms (SNPs). For each scenario, we generate 20 independent data sets and, thus, each point represents an average of 20 simulated data sets. Vertical lines (left line for the PHASE method and right line for the EM method) show approximate 95% confidence intervals for the estimates (standard error = ± 2).

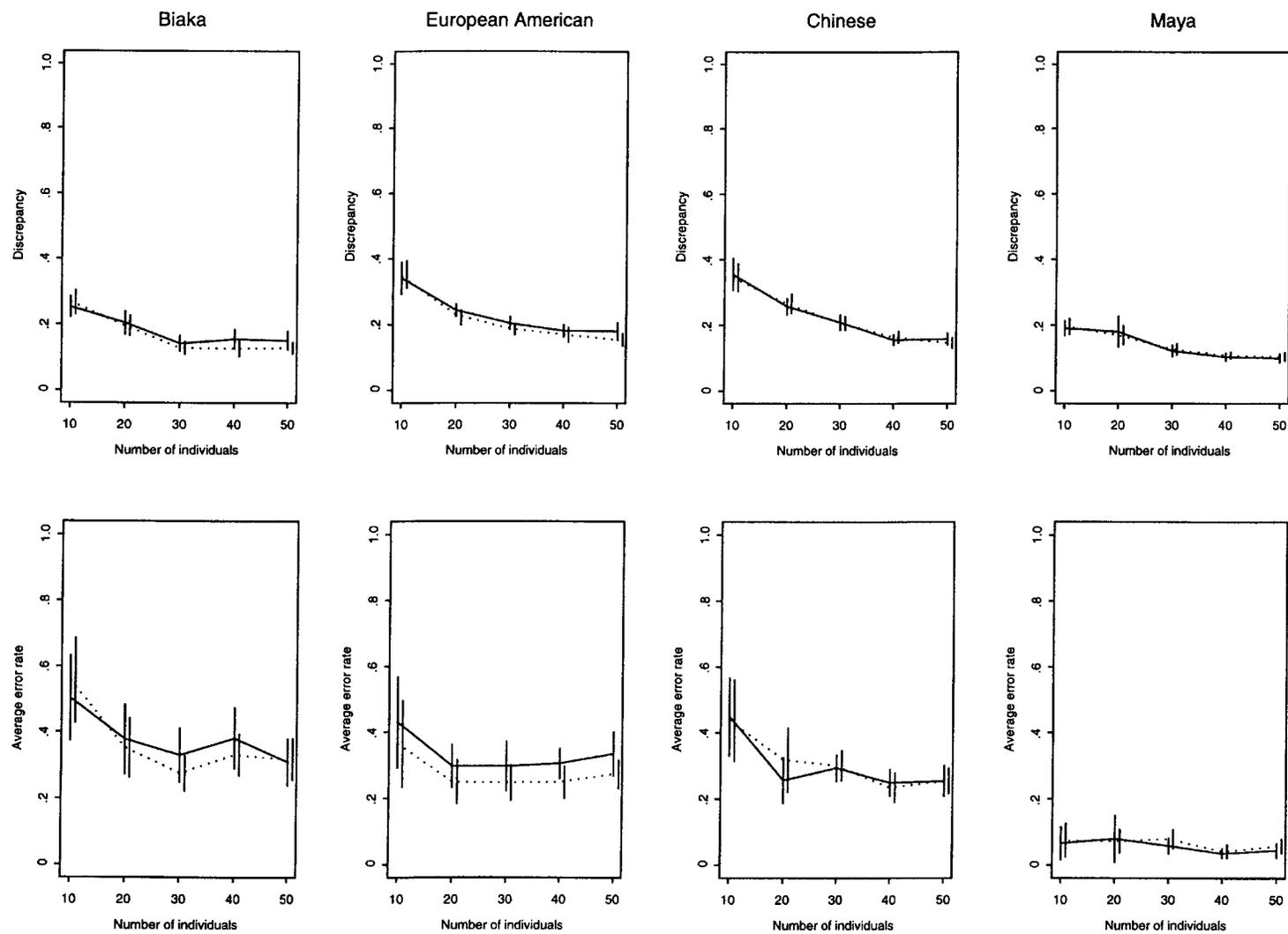


Figure 2 Comparisons between the EM method (*dotted lines*) and the PHASE method (*solid line*) for genotype data at the COMT site, with four SNPs. Conditions of each scenario, format of the graphs, and standard error are the same as those described in figure 1.

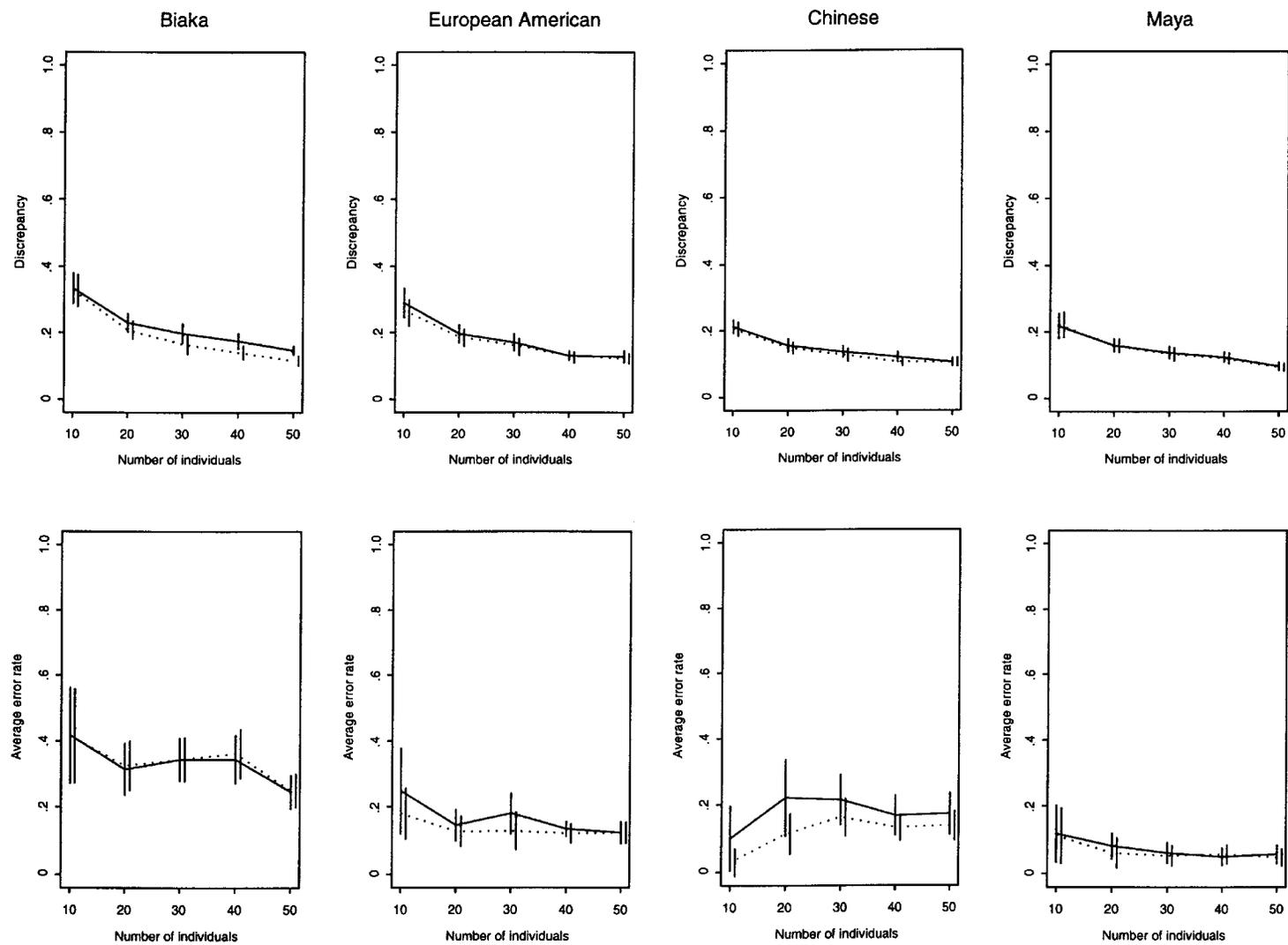


Figure 3 Comparisons between the EM method (*dotted lines*) and the PHASE method (*solid line*) for genotype data at the HOXB site with five SNPs. Conditions of each scenario, format of the graphs, and standard error are the same as those described in in figure 1.

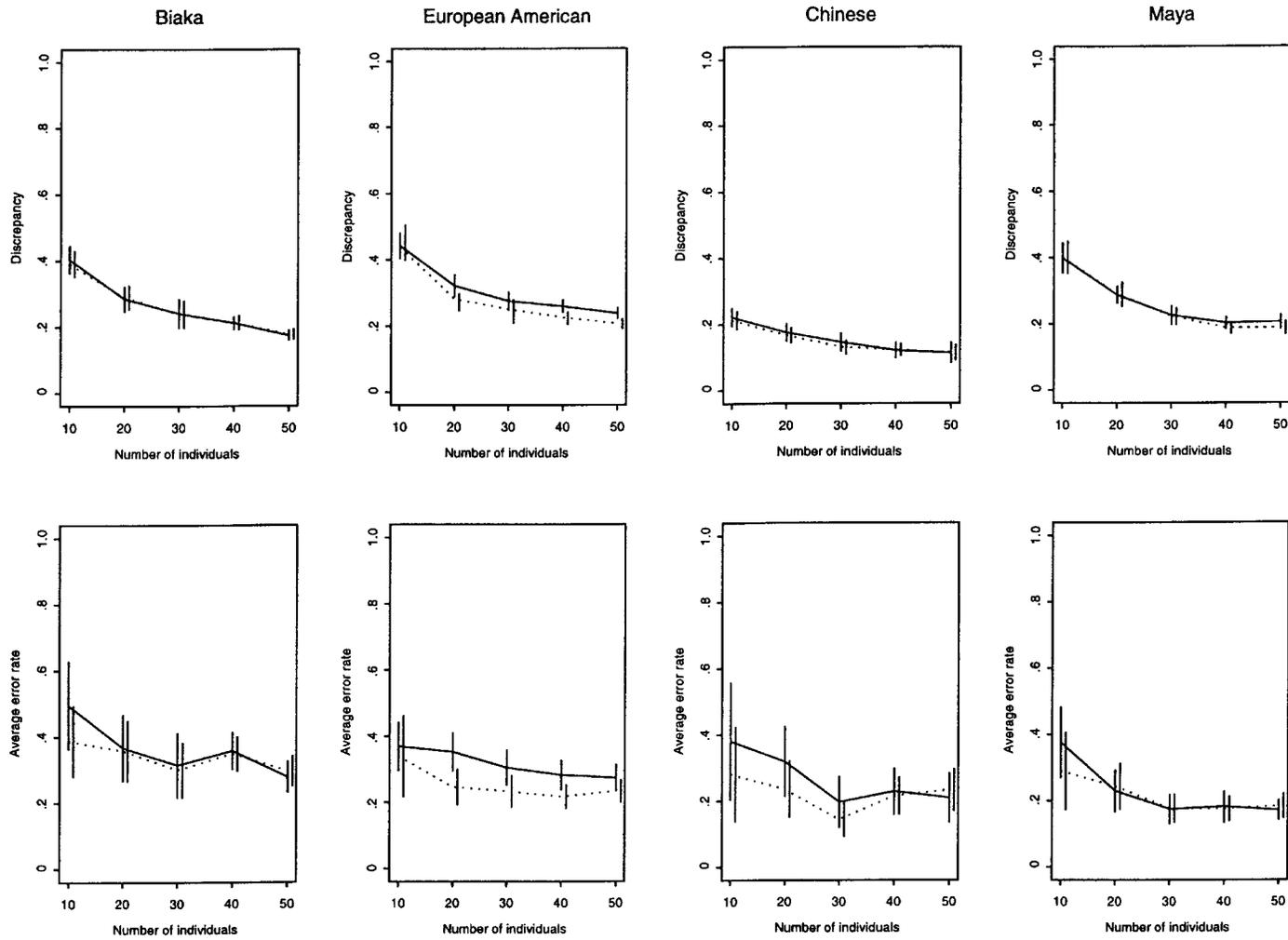


Figure 4 Comparisons between the EM method (*dotted lines*) and the PHASE method (*solid line*) for genotype data at the D4S10 site with six SNPs. Conditions of each scenario, format of the graphs, and standard error are the same as those described in figure 1.

Table 1

Comparisons between the EM Method and the PHASE Method, Using a Set of Phase-Known Data Sets at the CD4 Locus

POPULATION	NO. OF INDIVIDUALS	NO. OF DOUBLY HETEROZYGOUS INDIVIDUALS	NO. OF INCORRECTLY RECONSTRUCTED INDIVIDUALS		DISCREPANCY BETWEEN TRUE AND ESTIMATED HAPLOTYPE FREQUENCIES	
			EM Method	PHASE Method	EM Method	PHASE Method
Biaka	53	8	3	3	.045	.057
Bantu	40	15	3	1	.089	.025
Herero	42	7	1	1	.024	.024
Mbuti	37	6	4	0	.086	0
Nama	32	5	2	2	.069	.069
Sekele	51	10	2	2	.036	.039
Wolof	46	13	3	3	.057	.065
Somali	24	5	0	0	0	0
Zu Wasi	44	5	2	2	.045	.034
Total	369	74	20	14	.05 ^a	.034 ^a

^a Represents mean value for all nine populations.

the default parameter values in the Markov chain Monte Carlo simulations—that is, with 10,000 iterations, a thinning interval of 100, and a burn-in value of 10,000.

The comparison results for the four loci (each locus across four populations) are summarized in figures 1, 2, 3, and 4. The results show that, for almost all the cases we considered, the discrepancies between the estimated haplotype frequencies and the true haplotype frequencies are almost the same for the two methods. The average errors in haplotype reconstruction show slight differences across the four loci. The PHASE method gave better results than did the EM method, for the RET data sets with three polymorphisms; however, the EM method was better overall than the PHASE method for the other three loci—that is, for COMT, HOXB, and D4S10. The biggest difference between the results of the PHASE method and those of the EM method was found for the RET gene in the Biaka population. For this particular population/locus combination, only four of a possible total of eight haplotypes were inferred to be present, with the following haplotype frequencies: $P(000) = .089$, $P(001) = .747$, $P(011) = .029$, and $P(101) = .089$. In the above notation, the two alleles at each polymorphism are represented by 0 and 1, respectively. This situation seems optimal for a coalescent model, since each of the three uncommon haplotypes is one mutation away from the single very common haplotype. Samples drawn from this population would have few double heterozygotes, and a coalescent model would favor inferring the presence of haplotypes that are only one step away from the common haplotypes, rather than a haplotype two steps away. On the other hand, the EM algorithm will not add that bias. Despite the differences between the two methods, from the approximate 95% confidence intervals shown in the figures, we can see that

there is no significant difference between these two methods, for most of the cases.

In our comparisons based on phase-known data sets, we used a subset of Tishkoff et al.'s (2000) CD4 genotype data, for nine populations (Biaka, South African Bantu, Herero, Mbuti, Sekele, Wolof, Somali, and Zu Wasi). Two markers, an *Alu* deletion polymorphism (2 alleles) and a microsatellite marker (12 alleles), were typed at CD4, and phases of doubly heterozygous individuals were determined molecularly (Tishkoff et al. 2000). The data and the results obtained by the EM method and the PHASE method are summarized in table 1.

There are a total of 74 doubly heterozygous individuals in nine populations. The error rates of the EM and the PHASE methods for haplotype reconstruction are 27% and 19%, respectively. The average discrepancies between haplotype estimates for the EM and PHASE methods are 5% and 3.4%, respectively. Therefore, across all of these nine populations, the PHASE method improved on the EM method by >30%; however, it can be seen from table 1 that the improvements did not come from across all of the populations. Instead, the two methods had identical performance in haplotype reconstruction for seven populations. In terms of average discrepancies, the PHASE method is better than the EM method for three populations, and the EM method is better than the PHASE method for three other populations. In the two populations for which the PHASE method outperformed the EM method—that is, the Bantu and Mbuti—the cause of the poorer performance of the EM method is the same as that for the simulation results based on empirical population haplotype frequency data. We note that even for the populations in which the two methods yielded the same number of in-

correctly reconstructed individuals, an individual may be reconstructed correctly by the Phase method but not by the EM method; on the other hand, an individual may be reconstructed correctly by the EM method but not by the Phase method.

In the present study, we have compared the EM method with a recently proposed haplotype reconstruction method (Stephens et al. 2001), through use of empirical population haplotype frequency data and phase-known genotype data sets. The PHASE method is based on the coalescent theory; however, it is likely that a simple coalescent model will not be a good representation of the actual history of a human population because of fluctuating population size, migration, and other factors. If the model is not appropriate, analyses that assume the model cannot be expected to yield more-accurate estimates of haplotype frequencies than analyses making no historical assumptions. The degree to which such a model is representative may vary according to population and locus. In the results of our simulations using empirical population haplotype frequency data, the PHASE method showed no improvements over the EM method, except at the RET locus in an African population. For the nine African populations in which haplotypes were inferred through molecular methods, the EM method and the PHASE method yielded almost identical results in seven populations, and the PHASE method did outperform the EM method in the other two populations. Therefore, our systematic comparisons suggest that the PHASE method may not yield consistently significantly improved estimates; this is contrary to the consistent improvements observed by Stephens et al. (2001). In summary, across all of the examples studied, the PHASE method did not yield significantly different results from a simple maximum-likelihood procedure.

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Electronic-Database Information

The URL for data in this article is as follows:

ALFRED Web site, <http://alfred.med.yale.edu/alfred/index.asp>
(for population descriptions and haplotype definitions)

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Reply to Zhang et al.

To the Editor:

Stephens et al. (2001) (henceforth referred to as “SSD”) introduced a new statistical method for haplotype reconstruction, called “PHASE,” that has three major advantages over existing approaches, including EM. The letter from Zhang et al. (2001 [in this issue]) (henceforth referred to as “ZPKZ”), questions one of these—namely, the increased accuracy of PHASE.

ZPKZ report two kinds of comparisons. The first is based on “empirical population haplotype frequency data,” and the second is based on data for which the true phase is determined experimentally. Only the second of these types is actually based on “real” data in the usual sense, and when these data are used, PHASE does considerably outperform EM. We report comparisons below, using three other real data sets. In each case, PHASE provides haplotype reconstructions that are more accurate than those provided by EM, sometimes considerably so.

Table 1**Discrepancies Obtained by PHASE and EM on Genotypes from the CAPN10 Locus**

SAMPLE	DISCREPANCY OBTAINED BY	
	EM Method	PHASE Method
Combined	.13	.05
Population 1	.14	.09
Population 2	.26	.08
Population 3	.00	.00
Population 4	.23	.13

Much of the discussion by ZPKZ—as well as, apparently, their discouraging conclusion for PHASE—is based on their first set of comparisons. Unfortunately, their terminology may cause some confusion. The “empirical” haplotype frequencies on which they base their comparisons are not, in fact, haplotype counts in real data. Instead (S. Zhang, personal communication), although not mentioned in their letter, the “empirical” frequencies are actually estimates, provided by the EM algorithm, from genotype data.

PHASE is best thought of as a Bayesian method for haplotype reconstruction. Its potential to improve on maximum likelihood (and, hence, on EM) comes from its use of prior information. In particular, it incorporates the prior knowledge that unresolved haplotypes will tend to be the same as, or *similar to*, known haplotypes. When this is true in actual data, PHASE will typically provide better haplotype estimates. The comparisons by ZPKZ suggest that, when such clustering of haplotypes is not present, PHASE does not perform systematically worse than EM.

As emphasized by SSD, although PHASE uses a coalescent approximation to quantify the fact that haplotypes tend to be similar to one another, PHASE does not *depend* on the assumptions underlying the coalescent model, and we would expect it to perform well under much more general settings, including population structure, recombination, and selection.

In collaboration with H. Ackerman, we have compared EM and PHASE for haplotypes determined from pedigree data at the IL8 and TNF loci. At the IL8 locus, Hull et al. (2001) typed six single-nucleotide polymorphisms (SNPs) over 4.5 kb in 61 Gambian parents-child triples. Of the 122 parents, 102 had haplotypes that were unambiguous or that could be determined from the child’s genotype. At the TNF locus, H. Ackerman (unpublished data) typed 12 SNPs over 4.3 kb in 53 Gambian parents-child triples, and the same procedure gave 96 unambiguous parents. For each locus, we applied EM and PHASE to the subset of unambiguous parents and computed the error rates. At IL8, error rates were 7/31 for EM and 6/31 for PHASE; at TNF, error rates were 24/88 for EM and 10/88 for PHASE. Thus, PHASE re-

duced error rates in these data sets by 14% and 58%, respectively.

We are grateful to S.M. Fullerton, G. Ybazeta, and A. DiRienzo (personal communication), for allowing us to report the following results of their unpublished comparison of PHASE and EM on molecularly determined haplotypes at the CAPN10 locus. They typed 46 individuals from four populations ($n = 11, 12, 11,$ and 12) at 14 biallelic SNPs and found the discrepancy for the algorithms applied to the combined sample and applied to the four population samples separately. PHASE consistently outperformed EM, reducing discrepancy by as much as 69% (table 1).

In summary:

1. PHASE typically provides more-accurate haplotype estimates than does EM and other existing methods, when there is “clustering” in the true haplotype configuration.
2. Such clustering would usually be expected in real data, on population genetics grounds, whether or not the data are well modelled by the standard coalescent.
3. PHASE outperforms EM for the one real data set in ZPKZ and for the three other real data sets we have looked at.
4. Most of the comparisons by ZPKZ are based not on real haplotype data but rather on genotype data from which haplotype frequencies have been estimated by EM. Haplotype frequencies estimated by EM will not necessarily exhibit clustering, even if it is present in the true frequencies. It is thus not surprising—and, perhaps, not directly relevant—that, in most instances, ZPKZ observe similar behavior between EM and PHASE.
5. When the true haplotypes do not exhibit clustering, PHASE does not seem to perform systematically worse than EM.

Thus, although we admit that there will be exceptions, PHASE provides more-accurate haplotype reconstructions than EM for all the real data sets we and ZPKZ have examined and under conditions which seem likely for most other real data sets. In other settings, it performs no worse. In this sense, using PHASE is a low-risk strategy with considerable potential gains; however, increased accuracy is only one of the advantages of PHASE. We continue to regard the other advantages as being at least as important. It remains the case that PHASE is practicable for much larger problems than is EM, and it is the only available method that provides an accurate measure of the uncertainty associated with phase calls, thus guarding against inappropriate overconfidence in statistically reconstructed haplotypes.

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