Abstract (25oct96): We begin by looking at the structure of general curve flows in the plane. We show that if a flow satisfies some simple properties then its curvature satisfies the KdV-equation. We then study the evolution of frames of curves in $\mathbf{R}^3$. We will show that the curvature frame evolves according to the nonlinear Schrödinger equation for a sample curve flow.